# Gene Expression Analysis – Candidate Gene Approach CANB 7640

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http://tanlab.ucdenver.edu/labHomePage/teaching/CANB7640/

# Outline

- Introduction to microarray technology
- Methods for Identify Differentially Expressed Genes
  - Signal-to-noise Ratio (SNR) (Golub et al 1999)
  - T-test
  - False Discovery Rate (FDR)
  - Significance Analysis of Microarrays (SAM) (Tusher et al 2001)
  - Methods Comparisons

# **Types of Microarray**

- Two-channel microarrays
  - Pre-synthesised cDNA arrays (Glass/Nylon/Plastic slides)
  - DIY
- Single channel microarrays
  - In situ synthesised oligonucleotide arrays (Chips)

## cDNA microarray schema



From Duggan *et al. Nature Genetics* **21**, 10 – 14 (1999)

## cDNA microarray of the Yeast genome



Yeast genome microarray. The actual size of the microarray is 18 mm by 18 mm. (DeRisi, Iyer & Brown, Science, 268: 680-687, 1997)

# GeneChip® Affymatrix



# GeneChip® Single Feature



Image courtesy of Affymetrix.

Actual strand = 25 base :

# GeneChip® Hybridization

RNA fragments with fluorescent tags from sample to be tested



Image courtesy of Affymetrix.

# Hybridized GeneChip® Microarray

Shining a laser light at GeneChip® array causes tagged DNA fragments that hybridized to glow



Image courtesy of Affymetrix

# Spotting the arrays

RED = Present (P) = highly expressed, detected by the detector YELLOW = Marginal (M) = expressed, "not sure" for the detector GREEN = Absent (A) = maybe expressed, not detected by the detector



## **Gene Expression Profile**

## <u>m samples</u>

	Geneid	Condition 1	Condition 2	 Condition <i>m</i>
	Gene1	103.02	58.79	 101.54
n genes	Gene2	40.55	1246.87	 1432.12
	Gene n	78.13	66.25	 823.09

## Gene expression data analysis



(Ramaswamy and Golub 2002)

# Classification (Supervised Learning)

- Input: List of gene expressions and samples with known phenotypes (e.g. cancer vs. normal)
- Goal: Find gene markers (features) that distinguish one class from another class (e.g. cancer vs. normal).
- Selected gene markers will be used in the model for predicting new and unseen samples.

# How to Identify Differentially Expressed Genes? (2-class problem)

Expression distribution of Gene *i* 



# Signal-to-Noise Ratio (SNR) (Golub et al 1999)



Positive SNR = correlates with Class x (e.g. AML) Negative SNR = correlates with Class y (e.g. ALL)

# **T-test**

For gene *i*, compute t-score

$$t = \frac{\overline{x} - \overline{y}}{\sqrt{\frac{\left(\frac{1}{n_x} + \frac{1}{n_y}\right)}{\left(n_x + n_y - 2\right)}\left(SS_x + SS_y\right)}}$$

 $n_x =$  number of samples in x (e.g. Cancer)  $n_y =$  number of samples in y (e.g. Normal)  $\overline{x} =$  mean gene expression of x samples  $\overline{y} =$  mean gene expression of y samples  $SS_x =$  standard deviation of gene expression in x samples  $SS_y =$  standard deviation of gene expression y samples

# Example

A

в

### TAK1 Inhibition Promotes Apoptosis in KRAS-Dependent Colon Cancers

Anurag Singh,<sup>1,3</sup> Michael F. Sweeney,<sup>1</sup> Min Yu,<sup>1</sup> Alexa Burger,<sup>1</sup> Patricia Greninger,<sup>1</sup> Cyril Benes,<sup>1</sup> Daniel A. Haber,<sup>1,2,\*</sup> and Jeff Settleman<sup>1,4,\*</sup>

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### Cell (2012). 148, 639-650







SW1116 SK-CO-1

SW620

RCM-1 Gp5D

# Is t-test an appropriate approach?



687 + 832 = 1519 DEG Assume 23,000 genes in human genome

1519/23000 = 0.066 (~6.6 % of the genes are differentially expressed, more than 5%, p=0.05)

Is it by chance? False positive? False Discovery? How to control it?

# False Discovery Rate (FDR)

- FDR control is a statistical method used in *multiple hypothesis testing* to correct for *multiple comparisons*.
- FDR procedures are designed to control the expected proportion of incorrectly rejected null hypotheses ("false discoveries").
- Less stringent than family wise error rate (FWER) procedures (such as the Bonferroni correction).

## Remember the 2x2 Contingency Table?

		Test Result			
		Positive	Negative		
Actual	Positive	True Positive	False Positive (Type I Error)		
	Negative	False Negative (Type II Error)	True Negative		

# FDR

- Instead of controlling type I error (false positive), FDR controls the expected proportion of false positives.
- FDR definition:
  - R is observable random variable.
  - V is non-observable random variable.
  - FDR is the expectation of random variable V/R

		Test R	Total	
		Positive	Negative	
Actual	Positive	<b>U</b> (True Positive)	V (False Positive) (Type I Error)	m <sub>o</sub>
	Negative	<b>T</b> (False Negative) (Type II Error)	<b>R</b> (True Negative)	m – m <sub>0</sub>
Total		m – R	R	m

## FDR = E(V/R)

# Significance Analysis of Microarrays (SAM)

# Significance analysis of microarrays applied to the ionizing radiation response

Virginia Goss Tusher\*, Robert Tibshirani<sup>+</sup>, and Gilbert Chu\*<sup>‡</sup>

5116-5121 | PNAS | April 24, 2001 | vol. 98 | no. 9

- "assigns a score to each gene on the basis of change in gene expression relative to the standard deviation of repeated measurements."
- SAM uses permutations of repeated measurements to estimate the False Discovery Rate
- Paper available online: <u>http://www-</u> stat.stanford.edu/~tibs/SAM/pnassam.pdf
- Today's practical and assignment

# Overview of SAM

- Calculate "relative difference" a value that incorporates the change in expression between conditions and the variation of measurements in each condition
- Calculate "expected relative difference" derived from controls generated by permutations of data
- Plot against each other, set cutoff to identify deviating genes
- Calculate FDR for chosen cutoff from the control permutations

For gene *i* 

$$d(i) = \frac{\overline{x}_I(i) - \overline{x}_U(i)}{s(i) + s_0}$$

(Adapted from OHRI Bioinformatics Slides 2006)

For gene *i* 

$$d(i) = \frac{\overline{x}_{I}(i) - \overline{x}_{U}(i)}{s(i) + s_{0}}$$

 $\overline{x}_{I}(i), \overline{x}_{U}(i)$ 

Mean expression of gene *i* in condition I or U (e.g. Cancer vs Normal)

For gene *i* 



For gene *i* 

$$d(i) = \frac{\overline{x}_I(i) - \overline{x}_U(i)}{s(i) + s_0}$$

 $S_0$ 

Small positive constant calculated to minimize coefficient of variation.

(Adapted from OHRI Bioinformatics Slides 2006)

## T-test vs. SAM

(1) 
$$\begin{aligned} f &= \frac{\overline{x} - \overline{y}}{\sqrt{S_p^2 \left(\frac{1}{n_x} + \frac{1}{n_y}\right)}} \\ f &= \frac{\overline{x - \overline{y}}}{\sqrt{S_p^2 \left(\frac{1}{n_x} + \frac{1}{n_y}\right)}} \\ f &= \frac{\overline{x - \overline{y}}}{\sqrt{\frac{df_x(s_x^2) + df_y(s_y^2)}{df_x + df_y} \left(\frac{1}{n_x} + \frac{1}{n_y}\right)}} \\ f &= \frac{\overline{x - \overline{y}}}{\sqrt{\frac{df_x(\frac{\overline{y}(x_y - \overline{x})^2}{df_x} + df_y(\frac{\overline{y}(x_y - \overline{y})^2}{df_x + df_y})}} \\ f &= \frac{\overline{x - \overline{y}}}{\sqrt{\frac{df_x(\frac{\overline{y}(x_y - \overline{x})^2}{df_x + df_y} \left(\frac{1}{n_x} + \frac{1}{n_y}\right))}} \\ f &= \frac{\overline{x - \overline{y}}}{\sqrt{\frac{df_x(\frac{\overline{y}(x_y - \overline{x})^2}{df_x + df_y} \left(\frac{1}{n_x} + \frac{1}{n_y}\right))}} \\ f &= \frac{\overline{x - \overline{y}}}{\sqrt{\frac{df_x(\frac{\overline{y}(x_y - \overline{x})^2}{df_x + df_y} \left(\frac{1}{n_x} + \frac{1}{n_y}\right))}} \\ f &= \frac{\overline{x - \overline{y}}}{\sqrt{\frac{df_x(\frac{\overline{y}(x_y - \overline{x})^2}{df_x + df_y} \left(\frac{1}{n_x} + \frac{1}{n_y}\right))}} \\ f &= \frac{\overline{x - \overline{y}}}{\sqrt{\frac{df_x(\frac{\overline{y}(x_y - \overline{x})^2}{df_x + df_y} \left(\frac{1}{n_x} + \frac{1}{n_y}\right))}} \\ f &= \frac{\overline{x - \overline{y}}}{\sqrt{\frac{df_x(\frac{\overline{y}(x_y - \overline{y})^2}{df_x + df_y} \left(\frac{1}{n_x} + \frac{1}{n_y}\right))}}} \\ f &= \frac{\overline{x - \overline{y}}}{\sqrt{\frac{df_x(\frac{\overline{y}(x_y - \overline{y})^2}{df_x + df_y} \left(\frac{1}{n_x} + \frac{1}{n_y}\right))}}} \\ f &= \frac{\overline{x - \overline{y}}}{\sqrt{\frac{df_x(\frac{\overline{y}(x_y - \overline{y})^2}{df_x + df_y} \left(\frac{1}{n_x} + \frac{1}{n_y}\right))}}} \\ f &= \frac{\overline{x - \overline{y}}}{\sqrt{\frac{df_x(\frac{\overline{y}(x_y - \overline{y})^2}{df_x + df_y} \left(\frac{1}{n_y} + \frac{1}{n_y}\right))}}} \\ f &= \frac{\overline{x - \overline{y}}}{\sqrt{\frac{df_x(\frac{\overline{y}(x_y - \overline{y})^2}{df_x + df_y} \left(\frac{1}{n_y} + \frac{1}{n_y}\right))}}} \\ f &= \frac{\overline{x - \overline{y}}}{\sqrt{\frac{df_x(\frac{\overline{y}(x_y - \overline{y})^2}{df_x + df_y} \left(\frac{1}{n_y} + \frac{1}{n_y}\right)}}} \\ f &= \frac{\overline{x - \overline{y}}}{\sqrt{\frac{df_x(\frac{\overline{y}(x_y - \overline{y})^2}{df_x + df_y} \left(\frac{1}{n_y} + \frac{1}{n_y}\right)}}} \\ f &= \frac{\overline{x - \overline{y}}}{\sqrt{\frac{df_x(\frac{\overline{y}(x_y - \overline{y})^2}{df_x + df_y} \left(\frac{\overline{y}(x_y - \overline{y})^2}{df_x + df_y}\right)}}} \\ f &= \frac{\overline{x - \overline{y}}}{\sqrt{\frac{df_x(\frac{\overline{y}(x_y - \overline{y})^2}{df_x + df_y} \left(\frac{\overline{y}(x_y - \overline{y})^2}{df_x + df_y}\right)}}} \\ f &= \frac{\overline{x - \overline{y}}}{\sqrt{\frac{df_x(\frac{\overline{y}(x_y - \overline{y})^2}{df_x + df_y}}}}} \\ f &= \frac{\overline{x - \overline{y}}}{\sqrt{\frac{df_x(\frac{\overline{y}(x_y - \overline{y})^2}{df_x + df_y}}}}} \\ f &= \frac{\overline{y}}}{\sqrt{\frac{df_x(x_y - \overline{y})^2}{df_x + df_y}}} \\ f &= \frac{\overline{y}}}{\sqrt{\frac{df_x(x_y - \overline{y})^2}{df_x + df_y}}}} \\ f &= \frac{\overline{y}}}{\sqrt{\frac{df_x(x_y - \overline{y})^2}} \\ f &= \frac{\overline{y}}}{\sqrt{\frac{df_x(x_y - \overline{y})^2}{df_x + df_y}}}} \\ f &= \frac{\overline{y}}}{\sqrt$$

(5) 
$$t = \frac{\overline{x} - \overline{y}}{\sqrt{\frac{\left(\frac{1}{n_x} + \frac{1}{n_y}\right)}{\left(n_x + n_y - 2\right)}\left(SS_x + SS_y\right)}}$$

(6) 
$$d(i) = \frac{\bar{x}_{I}(i) - \bar{x}_{U}(i)}{s(i) + s_{0}}$$

(7) 
$$s(i) = \sqrt{a} \left\{ \sum_{m} [x_{m}(i) - \bar{x}_{I}(i)]^{2} + \sum_{n} [x_{n}(i) - \bar{x}_{U}(i)]^{2} \right\}$$
  
(8)  $s(i) = \sqrt{a} \left( SS_{I} + SS_{U} \right)$ 

$$a = \frac{\left(\frac{1}{n_{1}} + \frac{1}{n_{2}}\right)}{\left(n_{1} + n_{2} - 2\right)}$$

(9) 
$$s(i) = \sqrt{\frac{\left(\frac{1}{n_1} + \frac{1}{n_2}\right)}{(n_1 + n_2 - 2)}} (SS_I + SS_U)$$

(10) 
$$d(i) = \frac{\overline{x}_{I}(i) - \overline{x}_{U}(i)}{\sqrt{\frac{\left(\frac{1}{n_{1}} + \frac{1}{n_{2}}\right)}{\left(n_{1} + n_{2} - 2\right)}\left(SS_{I} + SS_{U}\right) + s_{0}}}$$

#### (Adapted from OHRI Bioinformatics Slides 2006)

## Relative difference vs. Gene scatter



Plotting *d(i)* vs *s(i)*

$$\frac{d(i)}{s(i)} = \frac{\overline{x}_I(i) - \overline{x}_U(i)}{s(i) + s_0}$$

- Comparing 4 shaded vs 4 non-shaded samples
- A: Relative differences between irradiated and unirradiated states
- B: Relative differences between cell lines
- C: Relative differences between hybridizations (technical replicates)
- D: Relative differences between 'balanced' permutation (Extra control)

# SAM creates controls via permutation

- Consider permutations of the samples used.
- Calculate  $d_p(i)$  for each permutation p
- Average all  $d_p(i)$  to get 'expected relative difference':  $d_E(i)$

# Finding significant genes

![](_page_30_Figure_1.jpeg)

- Plot *d(i)* vs *d<sub>E</sub>(i)*
- Identify genes which deviate from *d(i)=d<sub>E</sub>(i)* by more than a threshold, ∆
- These do not necessarily have the largest change in expression.
- Can optimize ∆ with estimate of false positive rate

# False Discovery Rate

- Take observed d(i) values for upper and lower cutoffs
- Find the mean number of genes exceeding these cutoffs in the permuted data - this gives an estimate for FDR

![](_page_31_Figure_3.jpeg)

(Adapted from OHRI Bioinformatics Slides 2006)

# SAM Output

- List of significantly changing genes
  - Fold changes may be asymmetric
- Estimated false positive rate for the list

![](_page_32_Figure_4.jpeg)

# Which method is better?

#### OPEN OACCESS Freely available online

PLos one

# Should We Abandon the *t*-Test in the Analysis of Gene Expression Microarray Data: A Comparison of Variance Modeling Strategies

## Marine Jeanmougin<sup>1,2,3,4</sup>\*, Aurelien de Reynies<sup>1</sup>, Laetitia Marisa<sup>1</sup>, Caroline Paccard<sup>2</sup>, Gregory Nuel<sup>3</sup>, Mickael Guedj<sup>1,2</sup>

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#### Abstract

High-throughput post-genomic studies are now routinely and promisingly investigated in biological and biomedical research. The main statistical approach to select genes differentially expressed between two groups is to apply a *t*-test, which is subject of criticism in the literature. Numerous alternatives have been developed based on different and innovative variance modeling strategies. However, a critical issue is that selecting a different test usually leads to a different gene list. In this context and given the current tendency to apply the *t*-test, identifying the most efficient approach in practice remains crucial. To provide elements to answer, we conduct a comparison of eight tests representative of variance modeling strategies in gene expression data: Welch's *t*-test, ANOVA [1], Wilcoxon's test, SAM [2], RVM [3], limma [4], VarMixt [5] and SMVar [6]. Our comparison process relies on four steps (gene list analysis, simulations, spike-in data and re-sampling) to formulate comprehensive and robust conclusions about test performance, in terms of statistical power, false-positive rate, execution time and ease of use. Our results raise concerns about the ability of some methods to control the expected number of false positives at a desirable level. Besides, two tests (limma and VarMixt) show significant improvement compared to the *t*-test, in particular to deal with small sample sizes. In addition limma presents several practical advantages, so we advocate its application to analyze gene expression data.

### [33 citations]

# Methods

- Welch t-test
- ANOVA
- Wilcoxon's test
- SAM (Tusher et al 2001) Significance Analysis of Microarrays (www-stat.stanford.edu/~tibs/SAM/) [8954 citations]
- RVM (Wright & Simon, 2003) Random Variance Model [BRB-ArrayTools<u>http://linus.nci.nih.gov/BRB-ArrayTools.html</u>).] [393 citations]
- Limma (Smyth 2005) Linear Models for Microarray Data (available as limma package in R/Bioconductor) [1883 citations]
- VarMixt (Delmar, Robin, Daudin 2004) Variance Mixture model (formerly available as varmixt package in R/Bioconductor) [89 citations]
- SMVar (Jaffrézic et al 2007) Structural Mixed Model for Variance(available as SMVar package in R/Bioconductor) [28 citations]

# **Data Sets and Testing Methods**

#### Table 1. Data sets used for the gene list analysis.

Data-set	Groups	Sample size	Publication
Lymphoid tumors	Disease staging	37	Lamant et al. 2007 [26]
Liver tumors	TP53 mutation	65	Boyault et al. 2007 [27]
Head and neck tumors	Gender	81	Rickman et al. 2008 [28]
Leukemia	Gender	104	Soulier et al. 2006 [29]
Breast tumors	ESR1 expression	500	Bertheau et al. 2007 [30]

The five data sets come from the *Cartes d'Identité des Tumeurs* (CIT, http://cit. ligue-cancer.net) program and are publicly available. All the microarrays are Affymetrix U133A microarrays with 22,283 genes. doi:10.1371/journal.pone.0012336.t001

**Testing Methods:** 

- Gene selection compare the common genes (p < 0.05)</li>
- 2. Simulation test for False Discovery Rate (FDR)
- 3. Spike-in data test for true foldchange and FDR
- 4. Re-sampling test for small samples

# **Gene List Analysis**

![](_page_36_Figure_1.jpeg)

Figure 2. Gene list analysis. PCAs and dendrograms are generated based on the gene lists resulting from the application of the eight tests of interest and the control-test. Here we show results for two data sets comparing ESR1 expression in breast cancer and gender in leukemia. Both outline five clusters of tests. doi:10.1371/journal.pone.0012336.g002

# **False Positive Rate**

#### Table 2. False-positive rate study from simulations.

M1		M2		М3		M4		
Sample size	n=5	n = 100	n=5	n = 100	n=5	n=100	n=5	n=100
t-test▼	3.8-4.6	4.5-5.4	4.0-4.8	4.6-5.5	3.8-4.6	4.7-5.6	3.9-4.7	4.4-5.3
ANOVA	4.5-5.2	4.5-5.4	4.7-5.6	4.6-5.5	4.5-5.4	4.7-5.6	4.5-5.3	4.4-5.3
Wilcoxon	2.8-3.5	4.6-5.5	2.6-3.3	4.5-5.4	2.8-3.5	4.7-5.6	2.7-3.4	4.5-5.4
SAM	4.6-5.5	4.5-5.3	4.2-5.1	4.5-5.4	4.7-5.6	4.7-5.6	4.3-5.2	4.4-5.3
RVM▲	5.7-6.7	4.5-5.4	5.6-6.5	4.5-5.4	5.4-6.3	4.7-5.6	5.3-6.2	4.7-5.5
limma	4.6-5.5	4.6-5.5	4.2-5.1	4.5-5.4	4.7-5.6	4.7-5.6	4.4-5.3	4.3-5.1
SMVar▲	7.0-8.1	4.7-5.6	-	_	5.9-6.8	4.8-5.7	4.6-5.5	4.5-5.3
VarMixt	4.7-5.5	4.6-5.5	4.3-5.2	4.6-5.5	4.8-5.6	4.6-5.5	4.5-5.4	4.5-5.3

For small and large samples, this table presents the 95% confidence-interval of false-positive rate obtained by applying a threshold of 0.05 to the *p*-values. Up triangles  $\blacktriangle$  (resp. down triangles  $\blacktriangledown$ ) indicate an increase (resp. a decrease) of the false-positive rate compared to the expected level of 5%. Two triangles inform of a deviation in both small and large sample sizes. doi:10.1371/journal.pone.0012336.t002

# Summary

#### Table 3. Summary table.

	False-positive rate		Power		In practice	
	Small samples	Large samples	Small samples	Large samples	Ease of use	Execution time
-test	+	+++	+	+++	+++	+++
ANOVA	+++	+++	+	+++	+++	+++
Vilcoxon	+	+	+	++	+++	++
SAM	+++	+++	+	++	++	+ +
VM	+	++	+++	+++	++	+
mma	+++	+++	+++	+++	++	+ + +
/arMixt	+++	+++	+++	+++	+	+
MVar	+	+	++	+++	++	+++

This table summarizes the results of our study in terms of false-positive rate, power and practical criteria. The number of "+" indicates the performance, from weak (+), to very good one (+++).

doi:10.1371/journal.pone.0012336.t003

# Biology trumps statistics - Example

#### TAK1 Inhibition Promotes Apoptosis in KRAS-Dependent Colon Cancers

Anurag Singh,<sup>1,3</sup> Michael F. Sweeney,<sup>1</sup> Min Yu,<sup>1</sup> Alexa Burger,<sup>1</sup> Patricia Greninger,<sup>1</sup> Cyril Benes,<sup>1</sup> Daniel A. Haber,<sup>1,2,\*</sup> and Jeff Settleman<sup>1,4,\*</sup>

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![](_page_39_Figure_9.jpeg)

K-RAS DEPENDENCY	687 IND GENES		
GENE SET	832 DEP GENES		

## A lot of experiments (validation)

![](_page_39_Figure_12.jpeg)

![](_page_39_Picture_13.jpeg)

![](_page_39_Figure_14.jpeg)

KRAS INDEPENDENT CELL BMP-7/TAK1 INDEPENDENT

KRAS DEPENDENT CELL BMP-7/TAK1 DEPENDENT

### Figure 7. A Model for Context-Specific KRAS Dependency in Colon Cancers

In KRAS-independent colon cancers, APC loss of function results in hyperactivation of canonical Wnt signaling through stabilization of  $\beta$ -catenin in cooperation with upstream Wnt activators. TAK1 can be a negative regulator of canonical Wnt signaling in these cells. In KRAS-dependent cells, oncogenic KRAS upregulates BMP-7 expression/secretion, activating the BMP receptor and resulting in TAK1 activation. KRAS and TAK1 in these cells are activators of Wnt signaling by promoting  $\beta$ -catenin nuclear localization, which is stabilized by virtue of *APC* loss-of-function mutations. KRAS-mediated antiapoptotic signaling could also be facilitated by NF- $\kappa$ B activation. Dashed lines represent unknown molecular interactions. See also Figure S6.

# Take home message

- Consider FDR in selecting differentially expressed genes
- Compare with multiple methods
- Overlapping genes identified from different methods enhance the real signals
- Biology trumps statistics if you can validate the genes